| Impact Factor: | ISI $($ Dubai, UAE $)=\mathbf{0 . 8 2 9}$ |  | РИНЦ (Russia) | $=0.126$ | PIF (India) | $=1.940$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | GIF (Australia) | $=0.564$ | ESJI (KZ) | $=8.716$ | IBI (India) | $=4.260$ |
|  | JIF | $=1.500$ | SJIF (Morocco) | $=5.667$ | OAJI (USA) | $=0.350$ |

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## SOME ADDITIONS TO THE ROD TORSION CALCULATIONS

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## Introduction

The shafts are subjected to various deformations during operation, including torsion. For normal
operation of the shafts, it is necessary that resulting stresses in material do not exceed maximum allowable stresses. The torsion tests [1-10] are performed to

|  | ISRA (India) | $=4.971$ | SIS (USA) | $=0.912$ | ICV (Poland) |
| :--- | :--- | :--- | :--- | :--- | :--- |$=6.630$

determine the quality evaluation, strength, and ductility of materials. Nature of deformation (destruction) of material during torsion can be visually seen and evaluated in the laboratory after the test. The numerical values of material stress along the entire length, taking into account the circular or annular cross sections of the shaft (the rod), can be obtained by substituting the pre-known and calculated parameters values in the analytical formulas. The purpose of this research was to obtain the visual displays of the some parameters of material strain, which would be addition to the calculations of stress state of the rod.

## Materials and methods

The rod torsion calculation was performed in the Ansys program. The rod model with the length of 200 mm and the outer diameter of 25 mm was proposed in the experiment. The rod model was made of structural steel. One end of the rod was rigidly fixed to the wall, and the clockwise moment was applied to the free end of the rod. Application of the moment and rigid fixation of the rod model are presented in the Fig. 1. The remaining conditions for implementing the rod torsion calculation are presented in the table 1.


Figure 1 - The initial conditions for the calculation: A - rigid fixation in the wall; $\mathbf{B}$ - the applied moment.

Table 1. The conditions for implementing the calculation.

| The solution options |  |
| :--- | :--- |
| The problem dimensionality | 3-D |
| The degrees of freedom | UX, UY, UZ, ROTX, ROTY, ROTZ |
| The analysis type | Transient |
| The solution method | Full |
| The offset temperature from absolute zero | 273.15 |
| The nonlinear geometric effects | On |
| The equation solver option | PCG |
| The tolerance | $1 \times 10^{-8}$ |
| The Newton-Raphson option | Program chosen |
| The globally assembled matrix | Symmetric |
| The load step options | 1 |
| The load step number | 1 |
| Time at end of the load step | 1 |
| The starting time step size | 0.1 |
| The minimum time step size | 0.1 |
| The maximum time step size | 0.2 |
| The maximum number of the equilibrium iterations | 15 |
| Gamma | 0.1 |
| Alpha | 0.3025 |
| Delta | 0.6 |
| AlphaF | 0.1 |
| AlphaM | 0 |

## Results and discussion

Stresses and strains of material were considered in the cross section of the rod. The cross section was
taken at the point where the moment were applied. The visual display of stress and strain state of material was presented by the color contours and vectors. The

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| :--- | :--- | :--- | :--- | :--- | :--- |
| ISI (Dubai, UAE) | $=0.829$ | PИHЦ (Russia) | $=0.126$ | PIF (India) | $=\mathbf{1 . 9 4 0}$ |
| GIIF (Australia) | $=0.564$ | ESJI (KZ) | $=8.716$ | IBI (India) | $=4.260$ |
| JIIF | $=1.500$ | SJIIF (Morocco) | $=5.667$ | OAJI (USA) | $=0.350$ |

values of stresses, strains and strains energies were not indicated near the scale, so only the overall evaluation of the calculated parameters was presented. State of
material in the cross section of the cylindrical rod after removing load is presented in the Fig. 2.


Figure 2 - State of material in the cross section of the cylindrical rod after removing load: $\boldsymbol{A}$ - total deformation; $B$ - total velocity; $C$ - displacement; $D$ - equivalent elastic strain; $E$ - elastic strain intensity and stress intensity and equivalent stress; $F$ - shear elastic strain and shear stress; $\boldsymbol{G}$ - pressure; $\boldsymbol{H}$ potential energy; $I$ - kinetic energy; $J$ - the volume; $K$ - the structural error.

The direction of total deformation of the rod material coincides with the direction of the moment (clockwise). The rod material near the axial line is practically not deformed. Total deformation increases to the maximum value in the surface layers of the rod material. Total velocity of deformation of the rod material is directed in the opposite direction of the action of the moment. Displacement, equivalent elastic strain, equivalent stress, and intensity of strain
and stress have same nature of changing during torsion. The degree of strain increases from the axial line to the rod periphery. The contours of shear elastic strain and shear stress show that the dangerous local volumes of material subject to cracks can occur in the cross section of the rod. The compressed or stretched volumes of the rod material can be determined by the pressure contours. Material compression occurs in the range of the red-green colors, material stretching

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| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Impact Factor: | ISI (Dubai, UAE) $=0.829$ | PИHL (Russia) $=\mathbf{0 . 1 2 6}$ | PIF (India) | $=\mathbf{1 . 9 4 0}$ |  |  |
| GIF (Australia) | $=0.564$ | ESJI (KZ) | $=8.716$ | IBI (India) | $=4.260$ |  |
|  | $=1.500$ | SJIF (Morocco) $=\mathbf{5 . 6 6 7}$ | OAJI (USA) | $=0.350$ |  |  |

occurs in the range of the green-blue colors. The rod shape changes during torsion. This change can be considered on the potential and kinetic energies contours. Maximum energy spent on material deformation is calculated on two opposite sides of the cross section of the rod. Changing the volume of material is observed in the middle part and in the elements associated with the outer diameter of the rod (the element size depends on the quality of splitting the solid model). The structural error shows where the calculations accuracy is high and where it is not. The volumes filled in blue have the most accurate results. Reducing the element size when splitting the model is recommended for the remaining volumes.

## Conclusion

Based on the calculated vector and gradient fields of strains and stresses of material, it is determined that the round cross section of the rod changes to the elliptical cross section. The research results can be useful in selecting the overall dimensions of the cylindrical rods in the conditions of application of the moments on them. The results will be valid when the problems solving the rods torsion made from the number of structural steels with the Young's modulus equal to 200 GPa .

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[^0]:    Abstract: The calculated contours and vectors of stress, strain, strain energy and other parameters on the cross section area of the cylindrical metal rod subjected to torsion are presented in the article. These results are recommended for determining total stress and strain state of material in the conditions of solving the torsion problems.

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    Language: English
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