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Cost and Time Optimization on the Implementation of Building Construction Project

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Abstract

The aims of the research are 1) to analyze the cost of work for Building A of Christian Center Samarinda project based on historical data by using simulation technique (Monte Carlo method), 2) to analyze the duration of Building A Christian Center Samarinda project based on historical data by using simulation technique (linear programming and simulation method). This research uses descriptive method. Descriptive method can be interpreted as a problem-solving procedure investigated by describing the state of the subject or object in the research, it can be people, institutions, communities and others at current time which are based on facts as the way they are. The results of this research are 1) the final cost of the construction project of Building A Christian Center Samarinda based on historical data by using simulation technique (Monte Carlo method) is IDR 23.257.368.872,85 with the addition of operating cost of IDR 129.408.041,65 from the Budget Plan for the implementation of IDR 22.726.159136,00, 2) the implementation time of construction project of Building A Christian Center Samarinda based on historical data by using simulation technique (linear programming and simulation method) is 115 days, or there is an accelerated of the duration as long as 35 days from the implementation time of 150-days calendar. Therefore, it obtains deviation value of IDR 11.480.048,43 per day.

Keywords: project, Monte Carlo, linear programming and simulation.

1. Introduction

Optimization problem is the most common problem encountered in all aspects of life. A special form of optimization problem is linear programming, this linear program is widely used in industry, transportation, commerce and so on, the operations research approach is a scientific method that specifically initiates this process by observing and formulating the problems and then building a scientific model (typically mathematical) who seek to abstract the essence of the real problem. One part of the linear program currently used and developed by people is the theory of network analysis (Folke et al, 2002). The network can be used to describe the interrelationships among the project elements or show all the activities contained within the project and the logic of its reliance on each other. In relation to this project issue, successful on-time implementation of a project is an important goal for both owners and contractors (Robert, 2004). Delays are a very

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undesirable condition, because it will harm both parties, both in terms of time and cost (Hartley, Jones, 1997).

Scheduling is an important thing in a construction project. Scheduling compiles an estimate of the time period required to complete a project. Scheduling is used as a guideline to create cost planning, execute, control and make an evaluation of the implementation of the project (Eppen et al, 1998). Therefore, the preparation of the schedule should be made in such a way that it is close to the reality in the field. In preparing a construction project schedule, it must first determine the duration of completion of each activity undertaken on the project. After the duration of each activity is known, then the overall schedule can be compiled. The determination of the duration of an activity is something that can not exactly be calculated, because when an activity is ongoing, factors that affect it remain unknown, and it also cannot be exactly known how long an activity can be completed. In determining excavation the duration, it should consider the level of labor productivity, (Frida, 2010). This level should be known because the level of productivity of each labor is not the same, especially one area with others. In determining excavation the duration of an activity, it is necessary to know the highest and lowest levels of labor productivity or skill (Stark, Mayer, 1983). Unexpected events, such as natural conditions (weather), the delays and mistakes of material suppliers, traffic jams, engine breakdowns, sabotage, and so on are also something to consider even at relatively small probability levels.

The inefficient working time, errors in the implementation of an activity or lack of understanding of the work will affect the duration of the event (Gittell, Vidal, 1998). As a result of these matters, it results in the addition of time to repeat the work and or dismantle it. This will affect the overall duration of the project or the project will be experiencing delays. This delay will result in additional cost to accelerate or control the implementation of the project (Guivant, Nebot, 2001). If the duration of an activity is accelerated, it will require more resources to complete the work. The addition of resources can be materials, tools, methods or labors so that the addition of resources means additional costs. Additional costs, as a result of the addition of resources, should find the minimum additional cost to complete the work (Taha, 1997).

In accordance with the description above, the problems of the research are: 1) how much is the cost of Building A Christian Center Samarinda project based on historical data by using simulation techniques (Monte Carlo method)?, 2) how long is the duration of Building A Christian Center Samarinda project based on historical data by using simulations techniques (linear programming and simulation method)?

Recognizing the importance of the problems that have been formulated, the objectives in this research are: 1) to analyze the cost of Building A Christian Center Samarinda project based on historical data by using simulation techniques (Monte Carlo method), 2) to analyze the duration of Building A Christian Center Samarinda project based on historical data by using simulations techniques (linear programming and simulation method).

2. Research Methods

Identify applicable sponsor/s here.

This research uses descriptive method. Descriptive method can be interpreted as a problem-solving procedure investigated by describing the state of the subject or object in the research, it can be people, institutions, communities and others at current time which are based on facts as the way they are (Wahyu, 2008). There are some key features in descriptive methods, including:

- a. Concentrate on the existing problems when the research is on-going or on the actual problems.
- b. Describing the facts about the investigating problems as they should be, accompanied by a balanced rational interpretation.
- c. The researcher job is not only providing an overview of the phenomena, but also explaining the relationship, testing the hypothesis, making predictions, and obtaining the meaning and implications of a problem.

3. Results and Discussion

3.1 Cost Simulation

The first step in the calculation of cost simulation is to analyze the increase of unit price between project data and historical data. Based on historical data, it is obtained the following unit price for the excavation work:

In 2013, the cost of the excavation work unit is IDR 48.057,50 / m³

In 2016, the cost of the excavation work unit is IDR 58.500,00 / m³

The unit price of excavation work for ongoing project data (in 2017) is IDR 74.825,00/m³. Equation (1) was used in this data.

$$TKH = \frac{HS_{2017}}{HS_{13/16}} \quad (1)$$

It obtains the increase of unit price for the excavation works against 2013 as follows.

$$TKH_{13} = \frac{74.825}{48.057} = 1.5570$$

The same way obtains the increase of the unit price on 2016 as much as 1.2790 times. The explanation of the analysis calculation of the increase unit price is represented by a type of work only. Historical data about cost, volume and duration, for excavation work are given in [Table 1](#).

Table 1. Historical Data of the Excavation Work

Year	Cost (IDR)	Volume	Duration
2013	9.971.931	207,50 m ³	21
2015	1.939.525	25,88 m ³	2
2016	24.750.235	422,91 m ³	10

From the historical data for the excavation work in the table above, then it calculates the cost of work in 2017 and the cost of its work unit as can be seen in [Table 2](#).

Table 2. Calculation Results

Year	Cost (IDR)	Cost (IDR) Year 2017	Volume (m ³)	Unit Cost (IDR)
2013	9.971.931	18.667.454	207,50	89.963
2015	1.939.525	3.630.790	25,88	140.293
2016	24.750.235	46.332.439	422,91	109.556
			TOTAL	339.813

The cost of the work in 2017 is obtained by using the equation 3 multiplication between the cost of historical data and the rate of the price increase.

$$B_{2017} = B_{13/16} \times TKH$$

$$B_{2017} = 9.971.931 \times 1.23$$

$$B_{2017} = \text{IDR } 12.265.475,00$$

The cost per unit of work in Table 4.3, is then calculated by using equation (2).

$$Bs = \frac{B_{2017}}{\text{Volume}} \quad (2)$$

$$Bs = \frac{12.265.475}{207,50} = \text{IDR } 59.110$$

The unit cost for each historical data is then determined the probability, they are (3):

$$\text{Prob } i = \frac{Bs.i}{\sum Bs} \times 100\% \quad (3)$$

$$\text{Prob } i = \frac{89.963}{339.813} \times 100\% = 26,474 \%$$

The calculation of probability above is used to determine the random number interval (it is obtained the random number interval from the calculation above, which is 0 to 15). The calculation of probability and the random number interval from the historical data of other excavation work are written in the [Table 3](#).

Table 3. The Calculation of Probability and Random Number Intervals for Unit Costs

Historical Data	Unit Cost (IDR)	Probability	Random Number	
1	89.963	26.474	0	15
2	140.293	41.285	16	31
3	109.556	32.240	32	48
Total	339.813	100		

The calculation of cost simulation per unit volume for excavation work is given in [Table 4](#).

Table 4. Cost Simulation Per Unit Volume

No	Random Number	Unit Cost	Volume (m3)	Cumulative Unit Cost	Cumulative Volume
1	87	140.293,00	1	140.293,00	1
2	1	89.968,00	1	230.261,00	2
3	5	89.968,00	1	320.229,00	3
4	68	140.293,00	1	460.522,00	4
5	89	140.293,00	1	600.815,00	5
6	29	140.293,00	1	741.108,00	6
7	36	140.293,00	1	881.401,00	7
8	84	140.293,00	1	1.021.694,00	8
9	53	140.293,00	1	1.161.987,00	9
10	16	89.968,00	1	1.251.955,00	10
11	86	140.293,00	1	1.392.248,00	11
12	40	140.293,00	1	1.532.541,00	12
13	45	140.293,00	1	1.672.834,00	13
14	98	140.293,00	1	1.813.127,00	14
15	93	140.293,00	1	1.953.420,00	15
16	33	140.293,00	1	2.093.713,00	16
17	88	140.293,00	1	2.234.006,00	17
18	6	89.968,00	1	2.323.974,00	18
19	61	140.293,00	1	2.464.267,00	19
20	46	140.293,00	1	2.604.560,00	20
21	25	140.293,00	1	2.744.853,00	21
22	4	89.968,00	1	2.834.821,00	22
23	41	140.293,00	1	2.975.114,00	23
24	72	140.293,00	1	3.115.407,00	24
25	47	140.293,00	1	3.255.700,00	25

The sum of the cumulative unit costs are divided by the sum of the cumulative volumes at the last random number, it obtains the cost per m³ of excavation work (simulation results). This calculation uses equation (4).

$$B_{sim} = \frac{Bs.Kom.25}{Vol Kom,25} \quad (4)$$

$$B_{sim} = \frac{3.255.700}{25} = 130.228,00 / m^3$$

Project Data of 2017, the Building A Christian Center Samarinda project Phase 1, for the excavation work, has 48.057 m³ volume, so the cost of the work in the crash condition is:

$$B = 130.228 \times 48,057$$

$$B = 6.258.366.996$$

3.2 The Simulation of Work Volume per Day

Historical data for the excavation work that contain data on the work volume and work duration, as in [Table 5](#).

Table 5. Historical Data for the Excavation Work

Year	Cost (IDR)	Volume (m ³)	Duration	Volume/Day (m ³)
2013	9.971.931	207,50	21	9.880
2015	1.939.525	25,88	2	12,94
2016	24.750.235	422,91	10	42.291
			TOTAL	65.111

Volume Calculation per day in the table above uses equation (5).

$$V_s = \frac{V_p}{\text{Duration}} \quad (5)$$

$$V_s = \frac{207,50}{21} = 9.880 \text{ m}^3$$

The calculation of its probability with the following equation is conducted after obtaining the volume per day for each historical data,

$$Proba i = \frac{V_{s.i}}{\sum V_s} \times 100\%$$

$$Proba i = \frac{12,94}{65.111} \times 100\% = 0,1987 \% \text{ (rounded to 19 \%)}$$

The probability calculation is used to determine the random number interval (the calculation above is obtained by random number interval, 0 to 15). The calculation and random number interval for volume/day and others are written in [Table 6](#).

Table 6. The calculation of probability and random number interval for volume/day

Historical Data	Volume/Day (m ³)	Probability	Number Random
1	9.880	16	0
2	12,94	38	16
3	42.291	46	54
TOTAL	65.111		

The calculation of simulation cost per volume unit is given in [Table 7](#).

Table 7. Simulations of Work Volume Per Day of the Excavation Work

No	Random Number	Volume / Day (m ³)	Day	Cumulative Volume/Day (m ³)	Cumulative Day
1	87	42.291	1	42.291	1
2	1	9.88	1	52.171	2
3	5	9.88	1	62.051	3
4	68	12.94	1	74.991	4
5	89	42.291	1	117.282	5

6	29	9.88	1	127.162	6
7	36	9.88	1	137.042	7
8	84	42.291	1	179.333	8
9	53	12.94	1	192.273	9
10	16	9.88	1	202.153	10
11	86	42.291	1	244.444	11
12	40	12.94	1	257.384	12
13	45	12.94	1	270.324	13
14	98	42.291	1	312.615	14
15	93	42.291	1	354.906	15
16	33	9.88	1	364.786	16
17	88	42.291	1	407.077	17
18	6	12.94	1	420.017	18
19	61	9.88	1	429.897	19
20	46	12.94	1	442.837	20
21	25	9.88	1	452.717	21
22	4	12.94	1	465.657	22
23	41	9.88	1	475.537	23
24	72	42.291	1	517.828	24
25	47	9.88	1	527.708	25

The result of simulation of cumulative volume/day of last random number is divided by number of days with the number of cumulative days at last random number (6)

$$V_{sim} = \frac{Vs.Kom.25}{DKom.25} \quad (6)$$

$$V_{sim} = \frac{527.708}{25} = 21.108 \text{ m}^3 / \text{day}$$

Data project in 2017, Construction Project of Building A Christian Center Samarinda Phase 1, for the excavation work, has 819.07 m³ volume (so that the duration of the work in crash conditions is obtained by:

$$V_{sim} = \frac{819,07}{21.108} = 38.803 \text{ days (rounded to 39 days)}$$

3.3 The Calculation of Additional Costs and Accelerated Duration

Additional costs are the costs incurred when the work is speeded up to the speed limitation of the permitted duration. The additional costs are obtained from the subtractions between the cost of the crash conditions and the costs under normal conditions. The accelerated duration is obtained from the subtractions of costs between the crash condition and costs under normal conditions. Additional columns of cost and accelerated duration on the number value are written in the parentheses. It shows that the value is negative. Additional costs in the table above are negative; it means that the work cost under normal conditions has a higher/expensive value compared to the crash conditions. It can happen because of differences in the use of technology, implementation, the amount of labor, or work equipment. Duration accelerated is negative; it indicates that the duration of a work under normal condition is shorter than the duration under Crash condition. It means that the level of productivity in the normal condition is higher, which can be caused by differences in the use of technology, implementation, the amount of labor, or work equipment. Differences in the level of productivity of excavation work are due to differences in the use of heavy equipment. The heavy equipment used in the normal condition is manual (hoe), while in the crash condition is excavator. Additional costs and accelerated duration for each type of work are then used to determine the additional cost per day; additional cost is divided by the amount of accelerated duration (Wysocki et al, 1995). Additional costs per day will be optimized in order to obtain additional minimum cost with the accelerated duration. Additional cost and accelerated duration for each type of job are then used to determine the additional cost per day; additional cost that is divided by the number of duration that can be accelerated. Additional costs per day will be optimized in order to obtain minimum additional cost with the accelerated duration.

3.4 Linear Programming

The aim of the use of linear programming is to look for the optimum solution (minimum) of the additional cost if the duration of the activity is accelerated. The target function is:

$$\text{Minimum } Z = U_a T_a + U_b T_b + \dots + U_n T_n$$

The value of U_a, U_b, \dots, U_n ; additional cost per duration for each of the accelerated work.

T_a, T_b, \dots, T_n is a type of activity whose duration can be accelerated.

Additional cost/day for mobilization work (T_1 , activity number 1) from table 4.9 is IDR 53.926.110,00 / day, so U_a, T_a for such activity is: 53.926.110 T_1

Type of work and the amount of additional cost / day for all work that can be accelerated from table 4.9, then can be determined its target function, as follow:

Minimum,

$$Z = 53.926.110 T_1 + 10.498.635 T_6 + 541.671 T_{16} + 1.628.185 T_{19} + 1.038.943 T_{24} + 29.984 T_{25} + 6.014.500 T_{28} + 29.984 T_{29} + 316.122 T_{30}$$

The data of the accelerated of the duration for each job in Table 4.1 becomes the constraint/limitation to minimize the objective function. The accelerated duration of Mobilization and Demobilization activities (activity number 1, T_1) should not be more than 24 days.

$T_1 \leq 24$ Limitations for the amount of maximum accelerated duration of another work are:

$$T_6 \leq 3 \quad T_{16} \leq 5 \quad T_{19} \leq 3 \quad T_{24} \leq 5 \\ T_{25} \leq 5 \quad T_{28} \leq 1 \quad T_{29} \leq 2 \quad T_{30} \leq 1$$

The interdependence relationship between the activities becomes the limitation to minimize the objectives function of 4.1 above. The limitation/constraint of this interdependence relationship uses the equation (7).

$$X_b - X_a + T_a \geq D_a \quad (7)$$

X_a is the Early Start Date (ESD) of activity A (the preceding activity)

X_b is the Early Start Date (ESD) of activity A (the following activity)

D_a is the duration of activity A (the preceding activity)

T_a is the amount of duration of activity A that can be accelerated

Activity No. 3 (demolition of old buildings) depends on the activity number 2, with the type of interdependency Start to Start and Lead Time for 18 days. The limitation for the interdependence relationship of activity number 2 and number 3 are:

$$X_2 - X_3 \geq 18$$

The relationship between activities with the Finish to Start type, such as activity number 14 (Soil Compaction Activity) depends on activity number 13, duration of activity number 13 is 7 days and 5 days of Lead time. Limitations for Finish to Start types, for activities number 13 and 16 are

$$X_{14} - X_{13} \geq 9$$

Interdependence relationship for accelerated activities, such as Pile Caps (activity 41) depends on activity number 21; the Start to Start type, with the Lead time of 2 days are:

$$X_{41} - X_{21} + T_{21} \geq 2$$

The interdependence relationship for other activities are:

$$X_6 - X_2 \geq 19 \quad X_3 - X_2 \geq 18 \quad X_9 - X_5 \geq 1 \\ X_{10} - X_5 \geq 1 \quad X_{11} - X_2 \geq 5 \quad X_{13} - X_6 \geq 9$$

$$\begin{array}{lll}
 X_{14} - X_{13} \geq 1 & X_{15} - X_3 \geq 12 & X_{16} - X_{15} \geq 15 \\
 X_{17} - X_{33} \geq 1 & X_{18} - X_{17} \geq 1 & X_{19} - X_{17} \geq 2 \\
 X_{20} - X_{17} \geq 3 & X_{21} - X_{18} \geq 1 & X_{22} - X_{19} \geq 4 \\
 X_{23} - X_{17} \geq 2 & X_{24} - X_{17} \geq 15 & X_{25} - X_{23} \geq 17 \\
 X_{28} - X_2 \geq 1 & X_{29} - X_2 \geq 1 & X_{31} - X_{30} \geq 1 \\
 X_{32} - X_{28} \geq 1 & X_{33} - X_{32} \geq 2 & X_{34} - X_{28} \geq 2 \\
 X_{36} - X_{38} \geq 1 & X_{37} - X_{21} + T_{21} \geq 2 & X_{38} - X_{37} + T_{37} \geq 1 \\
 X_{40} - X_{42} \geq 1 & X_{41} - X_{21} + T_{21} \geq 1 & X_{42} - X_{41} + T_{41} \geq 2 \\
 X_{48} - X_{50} \geq 1 & X_{49} - X_{21} + T_{21} \geq 2 & X_{50} - X_{49} + T_{49} \geq 3 \\
 X_{52} - X_{54} \geq 1 & X_{53} - X_{21} + T_{21} \geq 2 & X_{54} - X_{53} + T_{53} \geq 3 \\
 X_{56} - X_{58} \geq 1 & X_{57} - X_{21} + T_{21} \geq 2 & X_{58} - X_{57} + T_{57} \geq 3 \\
 X_{60} - X_{62} \geq 3 & X_{61} - X_{21} + T_{21} \geq 3 & X_{62} - X_{61} + T_{61} \geq 4 \\
 X_{65} - X_{67} \geq 2 & X_{66} - X_{35} + T_{35} \geq 4 & X_{67} - X_{66} + T_{66} \geq 3 \\
 X_{69} - X_{71} \geq 3 & X_{70} - X_{39} + T_{39} \geq 4 & X_{71} - X_{70} + T_{70} \geq 4 \\
 X_{73} - X_{75} \geq 3 & X_{74} - X_{39} + T_{39} \geq 2 & X_{75} - X_{74} + T_{74} \geq 2 \\
 X_{77} - X_{79} \geq 3 & X_{78} - X_{43} + T_{43} \geq 3 & X_{79} - X_{78} + T_{78} \geq 2 \\
 X_{81} - X_{83} \geq 2 & X_{82} - X_{47} + T_{47} \geq 3 & X_{83} - X_{82} + T_{82} \geq 2 \\
 X_{85} - X_{87} \geq 3 & X_{86} - X_{47} + T_{47} \geq 3 & X_{87} - X_{86} + T_{86} \geq 2 \\
 X_{89} - X_{91} \geq 3 & X_{90} - X_{51} + T_{51} \geq 2 & X_{91} - X_{90} + T_{90} \geq 3 \\
 X_{93} - X_{95} \geq 2 & X_{94} - X_{51} + T_{51} \geq 2 & X_{95} - X_{94} + T_{94} \geq 3 \\
 X_{97} - X_{99} \geq 2 & X_{98} - X_{59} + T_{59} \geq 2 & X_{99} - X_{98} + T_{98} \geq 3
 \end{array}$$

X₁₀₀ is the Early Start Date (ESD) from the end or the finish of the project. Under the normal conditions X₁₀₀ equals 150 days, then if the project will be accelerated within 10 days, the limitation is:

$$\begin{array}{l}
 X_{100} \leq 150 - 10 \\
 X_{100} \leq 140
 \end{array}$$

The problem formulation with the objective function in equation 4.1 and the limitation / constraints in equation will then be optimized to minimize the objective function by using Quantitative System-Linear Programming.

3.5 Calculation Result of Linear Programming

Calculation Result of Software Quantitative System-Linear Programming, with the objective goals and limitations/constraints results the additional minimum cost for each accelerated duration, which can be seen in [Table 8](#).

Table 8. Additional Cost Per Accelerated Duration

Accelerated Duration (Days)	ESD 100*	Additional Cost (IDR) (Z)	No	Acceleration		Duration (Day)
				Name of Activity	Type	
0	150	0				0
5	145	18,525,000	28	Procurement of pile size 40 Cm X 40 Cm L.6 m ¹ (347 dots)		5
10	140	36,074,160	35	Concrete	Pile Caps	1
15	135	8,125,065	35	Spawning	Pile Caps	2
20	130	8,140,925	35	Formwork	Pile Caps	1
25	125	15,584,150	96	Concrete	Ground Floor Plate	5
30	120	6,014,500	96	Spawning	Ground Floor Plate	5
35	115	3,161,220	96	Formwork	Ground Floor Plate	1

Description: * EDS₁₀₀ is the Early Start Date of the end of the activity, or the completion of the project

From the results of [Table 8](#), the implementation costs of the project can be calculated when it is accelerated; the project value in normal conditions plus the accelerated cost.

$Z' = 22,726,159,136 + Z$ the result of this calculation can be seen in [Table 9](#).

Table 9. Implementation Costs of the Project If the Duration is Accelerated

Day	Additional Costs (IDR) (Z)	Implementation Cost of The Project (IDR) (Z)
115	3,161,220	22,821,784,156.00
120	6,014,500	22,818,622,936.00
125	15,584,150	22,812,608,436.00
130	8,140,925	22,797,024,286.00
135	8,125,065	22,788,883,361.00
140	36,074,160	22,780,758,296.00
145	18,525,000	22,744,684,136.00
150	0	22,726,159,136.00

The table is then form in a line chart of project implementation cost when it is accelerated, as in [Figure 1](#).

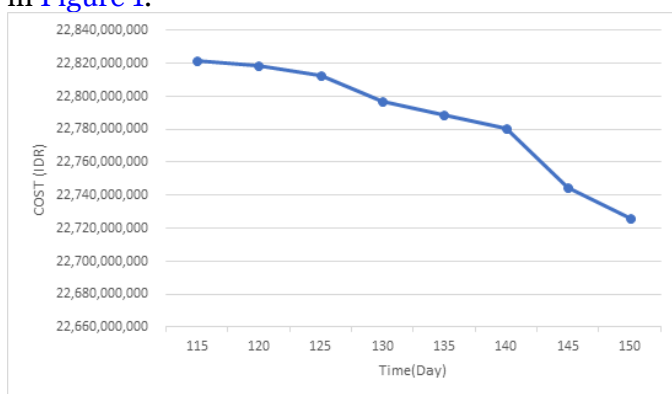


Fig. 1. Implementation Costs of the Project Due to the Accelerated Duration

The value of services and risks in Building A Christian Center Samarinda project is 5 % of the project value (normal condition), or equal to IDR 1,136,307,956.80. The value is considered to be consisting of 50 percent operational costs and 50 percent profit. Furthermore, operational cost can be determined per day; operational cost is divided by the total of project duration (normal condition).

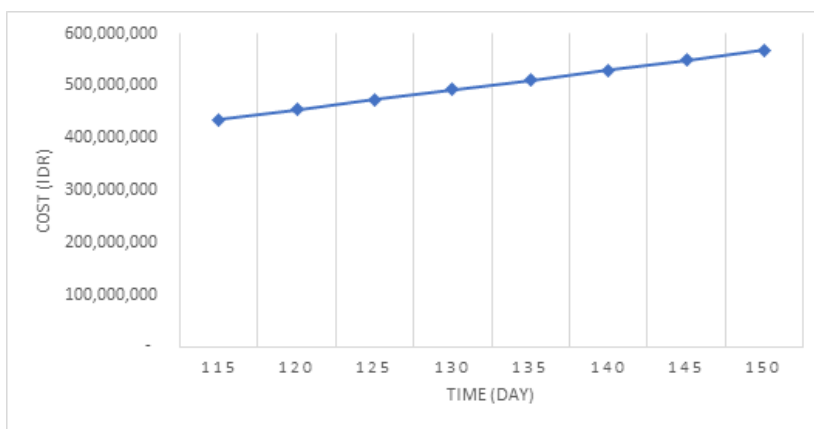
$$\text{Operational Cost/day} = \frac{0,50 \times 1,136,307,956.80}{150 \text{ days}} = \text{IDR } 3,787,693.19$$

After having operational cost per day, then the operational cost on certain days can be calculated, as shown in [Table 10](#).

Table 10. Operational Costs of the Project

Day	Operational Cost (IDR)
115	435,584,716.85
120	454,523,182.80
125	473,461,648.75
130	492,400,114.70
135	511,338,580.65
140	530,277,046.60
145	549,215,512.55
150	568,153,978.50

Table of operational costs above are then turned to a line chart, as in [Figure 2](#).

**Fig. 2.** Implementation Costs of the Project Due to the Accelerated Duration

By using the data in the table of implementation costs and operational costs of the project, then the final cost of the project can be calculated, it is the cost of the project implementation plus operational costs. The calculation of the final cost of the project is written in [Table 11](#).

Table 11. Final Costs of the Project

Day	Implementation Costs of the Project (IDR) (Z')	Operational Costs (IDR)	Final Costs of the Project (IDR)
115	22,821,784,156.00	435,584,716.85	23,257,368,872.85
120	22,818,622,936.00	454,523,182.80	23,273,146,118.80
125	22,812,608,436.00	473,461,648.75	23,286,070,084.75
130	22,797,024,286.00	492,400,114.70	23,289,424,400.70
135	22,788,883,361.00	511,338,580.65	23,300,221,941.65
140	22,780,758,296.00	530,277,046.60	23,311,035,342.60
145	22,744,684,136.00	549,215,512.55	23,293,899,648.55
150	22,726,159,136.00	568,153,978.50	23,294,313,114.50

The calculation results are shown in the graphical form of [Figure 3](#).

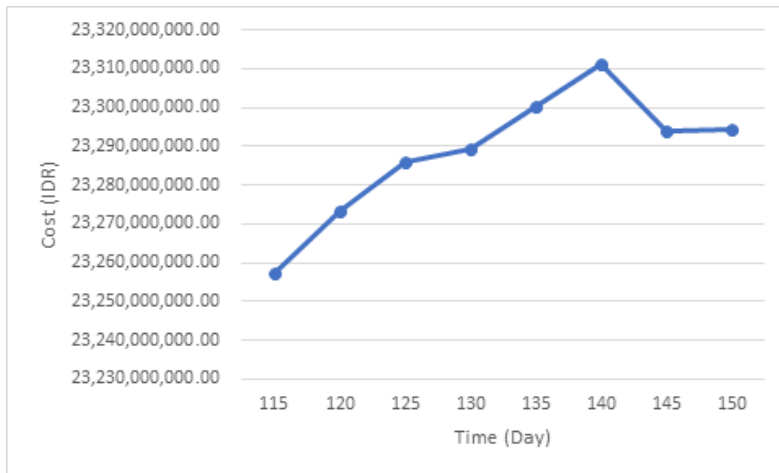


Fig. 3. Final Cost of the Project

Based on the calculation result, it is obtained the minimum cost of the final project is IDR 23.257.368.872,00 of the accelerated duration for 35 days, so that the project is completed on the 115th day. The results above also mean that if the project is completed within 130 days, will provide the difference between the additional costs with maximum operational cost savings. The calculation of the difference between the additional costs and the operational costs, for each accelerated of duration, is given in [Table 12](#).

Table 12. Value of Difference between Additional Cost and Operational Cost

Total Duration of Project	Additional Cost (IDR)	Accelerated Duration	Operational Cost Savings	Difference of Cost (IDR)
115	3,161,220.00	35	132,569,261.00	129,408,041.65
120	6,014,500.00	30	113,630,795.70	107,616,295.70
125	15,584,150.00	25	94,692,329.75	79,108,179.75
130	8,140,925.00	20	75,753,863.80	67,612,938.80
135	8,125,065.00	15	56,815,397.85	48,690,332.85
140	36,074,160.00	10	37,876,931.90	1,802,771.90
145	18,525,000.00	5	18,938,465.95	413,465.95
150	0	0	-	0

Description: *Maximum value of the difference between the additional cost and the cost savings.

Operational cost is an additional cost if the project is completed within 115 days it is IDR 3.161.220,00. The reduced operational cost is the daily operational cost multiplied by the amount of accelerated duration (35 days):

$$= \text{Rp. } 3.787.693,19 \times 35 \text{ days}$$

$$= \text{Rp. } 135.569.261,65$$

The difference, between additional costs and operational costs if the project is completed within 115 days, is:

$$= \text{Rp } 132,569,261.65 - 3,161,220.00$$

$$= \text{Rp } 129,408,041.65$$

4. Conclusion

Research on the Optimization of the Implementation Costs on Building Construction Project by using historical data of the similar projects which are still within the scope of the Christian Center Samarinda Building project, obtains the following conclusions:

The final cost of the construction project of Building A Christian Center Samarinda based on historical data by using simulation technique (Monte Carlo method) is IDR 23,257,368,872.85 with the addition of operational cost of IDR 129,408,041.65 from the Budget Plan of the implementation cost of IDR 22.726.159.136,-. The implementation time of Building A Christian Center Samarinda project based on the historical data by using simulation technique (linear programming and simulation method) is 115 days, or there is an accelerated duration of 35 days from the time of the 150-day calendar. Therefore, it results the value of deviation of Rp. 11.480.048.43 / day.

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